

Multiply.

1. $(3x - 2)(2x - 4)$
 $6x^2 - 12x - 4x + 8$
 $6x^2 - 16x + 8$

2. $(5x + 2)(4x + 1)$
 $20x^2 + 5x + 8x + 2$
 $20x^2 + 13x + 2$

3. $(4x + y)(2x - 3y)$
 $8x^2 - 12xy + 2xy - 3y^2$
 $8x^2 - 10xy - 3y^2$

4. $3a(4a + 1)$
 $12a^2 + 3a$

5. $(4x + 1)(5x - 2)$
 $20x^2 - 8x + 5x - 2$
 $20x^2 - 3x - 2$

6. $(5y + 4)(3y + 2)$
 $15y^2 + 10y + 12y + 8$
 $15y^2 + 22y + 8$

Warm Up

* Student may use any method to solve these

- Foil
- double distributive
- Area Model

* Have students do these as a warm up

Write a function g whose graph represents the indicated transformation of the graph f .

1. $f(x) = x + 6$; translation 3 units right
 $g(x) = f(x - 3)$
 $g(x) = (x - 3) + 6$
 $g(x) = x + 3$

2. $f(x) = x - 3$; translation 1 unit left
 $g(x) = f(x + 1)$
 $g(x) = (x + 1) - 3$
 $g(x) = x - 2$

3. $f(x) = |5x - 2| - 3$; translation 1 unit down
 $g(x) = f(x) - 1$
 $g(x) = |5x - 2| - 3 - 1$
 $g(x) = |5x - 2| - 4$

Cumulative Warm Up

Review of transformations from Chapter 1.

* review how to check on the graphing calculator.

Essential Question

How do the constants a , h , and k affect the graph of the quadratic function $g(x) = a(x - h)^2 + k$?

what you will learn:

- Describe transformations of Quadratic functions
- Write transformations of Quadratic functions

Essential Question

Describe the transformation of $f(x) = x^2$ represented by g . Then graph each function.

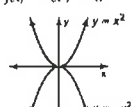
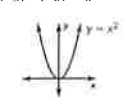
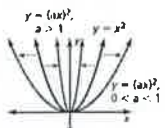
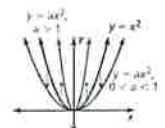
1. $g(x) = (x - 3)^2$ 2. $g(x) = (x - 2)^2 - 2$ 3. $g(x) = (x + 5)^2 + 1$

$h = 3$
 $k = 0$
 right
 3 units

$h = 2$
 $k = -2$
 right 2
 units
 down 2
 units

Monitoring Progress 1-3

Core Concept

<p>Reflections in the x-Axis</p> <p>$f(x) = x^2$ $-f(x) = -(x^2) = -x^2$</p> 	<p>Reflections in the y-Axis</p> <p>$f(x) = x^2$ $f(-x) = (-x)^2 = x^2$</p> 
<p>Horizontal Stretches and Shrinks</p> <p>$f(x) = x^2$ $f(ax) = (ax)^2$ $y = (ax)^2$ $a > 1$</p>  <ul style="list-style-type: none"> horizontal stretch (away from y-axis) when $0 < a < 1$ horizontal shrink (toward y-axis) when $a > 1$ 	<p>Vertical Stretches and Shrinks</p> <p>$f(x) = x^2$ $a \cdot f(x) = ax^2$ $y = ax^2$ $a > 1$</p>  <ul style="list-style-type: none"> vertical stretch (away from x-axis) when $a > 1$ vertical shrink (toward x-axis) when $0 < a < 1$

Core Concept

Describe the transformation of $f(x) = x^2$ represented by g . Then graph each function.

a. $g(x) = -\frac{1}{2}x^2$ b. $g(x) = (2x)^2 + 1$

Example 2

Describe the transformation of $f(x) = x^2$ represented by g . Then graph each function.

4. $g(x) = \left(\frac{1}{3}x\right)^2$ 5. $g(x) = 3(x - 1)^2$ 6. $g(x) = -(x + 3)^2 + 2$

Monitoring Progress 4-6

Let the graph of g be a vertical stretch by a factor of 2 and a reflection in the x -axis, followed by a translation 3 units down of the graph of $f(x) = x^2$. Write a rule for g and identify the vertex.

Example 3

Let the graph of g be a translation 3 units right and 2 units up, followed by a reflection in the y -axis of the graph of $f(x) = x^2 - 5x$. Write a rule for g .

Example 4

The height h (in feet) of water spraying from a fire hose can be modeled by $h(x) = -0.03x^2 + x + 25$, where x is the horizontal distance (in feet) from the fire truck. The crew raises the ladder so that the water hits the ground 10 feet farther from the fire truck. Write a function that models the new path of the water.

Example 5

7. Let the graph of g be a vertical shrink by a factor of $\frac{1}{2}$ followed by a translation 2 units up of the graph of $f(x) = x^2$. Write a rule for g and identify the vertex.

Monitoring Progress 7

8. Let the graph of g be a translation 4 units left followed by a horizontal shrink by a factor of $\frac{1}{3}$ of the graph of $f(x) = x^2 + x$. Write a rule for g .

Monitoring Progress 8

9. WHAT IF? In Example 5, the water hits the ground 10 feet closer to the fire truck after lowering the ladder. Write a function that models the new path of the water.

Monitoring Progress 9

I Used to Think ... But Now I Know: Take time for students to reflect on their current understanding of transformations.

Closure